

## MP4-3

### QT correction methods in children

*Benatar A., Dewals W., Decraene T., Feenstra A.  
Universitair Ziekenhuis  
Vrije universiteit Brussel  
Brussels  
Belgium*

Introduction: accurate determination of the QTc interval in children is important especially when considering a drug's ability to prolong cardiac repolarization. Previous work suggests the most appropriate correction formula is  $QTc = QT/RR^{0.38}$ . We set out to compute the best population derived and age related formula correction factor in our normal childhood population.

Methods: we enrolled a cohort of 1200 healthy children. In a quiet state a digital 12 lead electrocardiogram (50 mm/second) was recorded and stored. The QT and RR intervals were measured digitally in lead 2. Subjects were divided into 4 age groups; 0-1 years (n= 379); 1-5 (n = 280); 5 - 10 (n = 268) and > 10 years (n =273). For each age group the QT/RR curve was fitted with 2 regression analysis, a linear regression for constant  $\alpha$ , whereby  $QTc = QT + \alpha \times (1-RR)$ , and natural log-linear regression analysis for constant  $\beta$  whereby  $QTc = QT/RR^\beta$ . Furthermore, linear regression analysis of QTc/RR for the two formulae were performed (least squares method), obtaining slope and R<sup>2</sup>.

Results: Mean age: (0-1 years age group) 0.3 years, SD + 0.27; (1-5) 2.8 SD + 2.8 years; (5-10 years age group) 7.3 SD + 1.4 years; (> 10 years age group) 13.3 SD + 1.2 years. From linear regression analysis correction factor was  $\alpha = 0.275$ ,  $\beta = 0.43$  for 0-1 years,  $\alpha = 0.26$ ,  $\beta = 0.46$  for 1-5;  $\alpha = 0.19$ ,  $\beta = 0.41$  for 5 - 10;  $\alpha = 0.18$ ,  $\beta = 0.39$  for > 10 years. Linear Regression plots of QTc against RR intervals: QTc linear: slope < 0.005, R<sup>2</sup> < 0.01 for the 4 formulae; QTc log-linear slope: < 0.001, R<sup>2</sup>  $5 \times 10^{-2}$  for the 4 formulae.

Conclusion: For the full range of pediatric subjects studied the optimum population-based correction factor  $\alpha$  and  $\beta$ , decreased with increasing age. It appears that more specific correction factors, based on age and gender, are required. These are being further evaluated.